Lehrstuhl für Theoretische Informationstechnik

Homework 10 in Cryptography II Prof. Dr. Rudolf Mathar, Wolfgang Meyer zu Bergsten, Steven Corroy 13.07.2010

Exercise 28.

RNNTHAACHEI

- a) Given the following challenge-response mutual authentication protocol
 - 1) $A \rightarrow B : r_A$
 - 2) $B \rightarrow A : E_K(r_A, r_B)$
 - 3) $A \rightarrow B : r_B$

Explain how an eavesdropper E can authenticate to A without knowing the symmetric key K. This attack is called reflection attack.

- b) Given the following challenge-response protocol based on digital signature
 - 1) $A \to B : r_A$
 - 2) $B \rightarrow A: r_B, S_B(r_B, r_A, A)$
 - 3) $A \rightarrow B : r'_A, S_A(r'_A, r_B, B)$

Explain how an eavesdropper E can authenticate to B without signing any message with his own identity. This attack is called interleaving attack.

Exercise 29.

We want to study the vulnerabilities of the Kerberos protocol

- a) A ticket has a limited validity period. Explain what are the advantages and drawbacks to have a short validity period or a long validity period.
- b) How can an eavesdropper mount a replay attack which is not prevented by the time stamp t_A . Give a countermeasure.

Exercise 30.

Consider the equation

$$Y^2 = X^3 + X + 1.$$

Show that this equation describes an elliptic curve over the field \mathbb{F}_7 .

- a) Determine all points in $E(\mathbb{F}_7)$ and compute the trace t of E.
- b) Show that $E(\mathbb{F}_7)$ is cyclic and find a generator.